

Exposure to the risk of accident of car occupants and pedestrians in urban area

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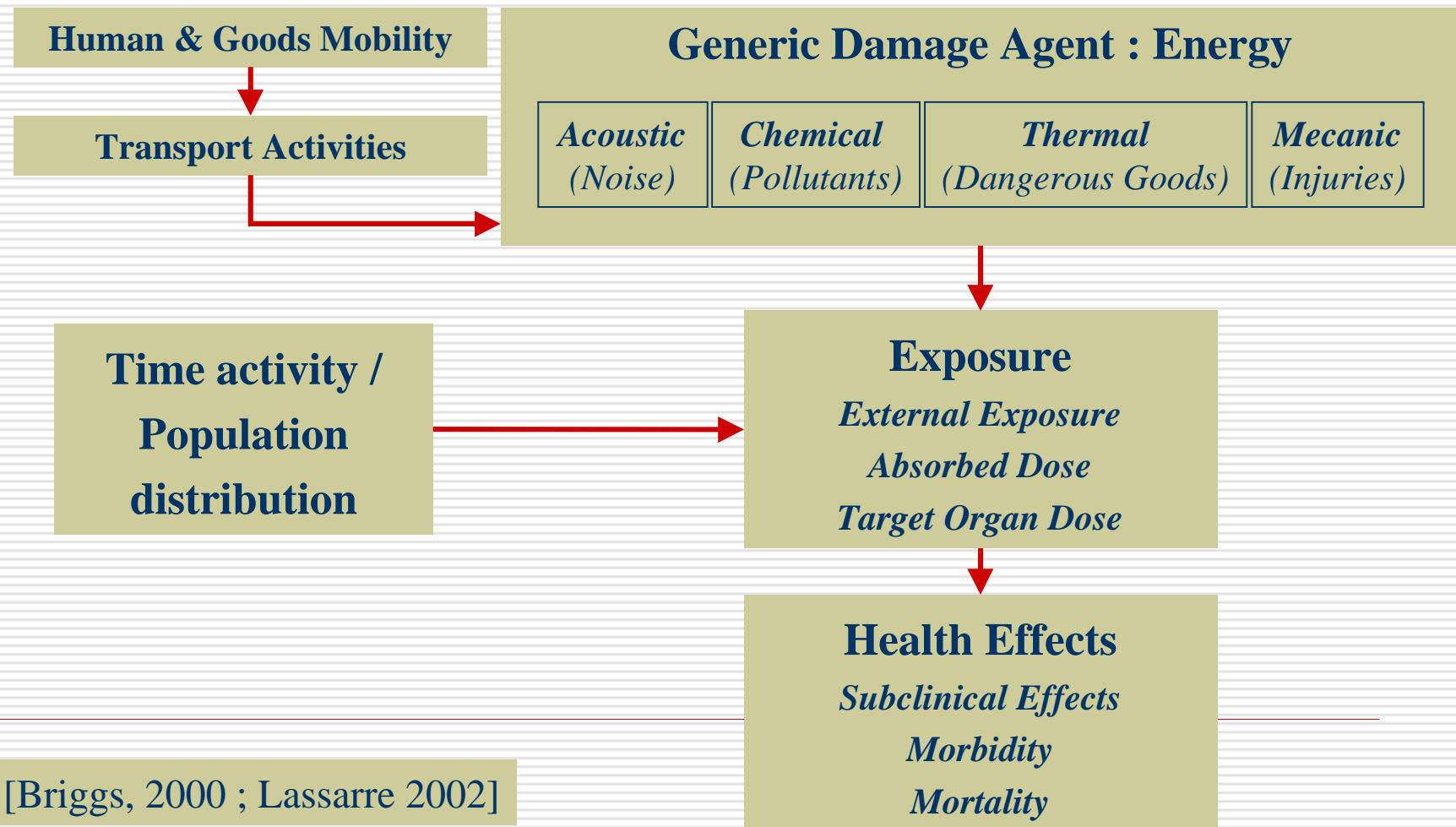
From European project HEARTS
Health Effects and Risk of Transport Systems



Objectives

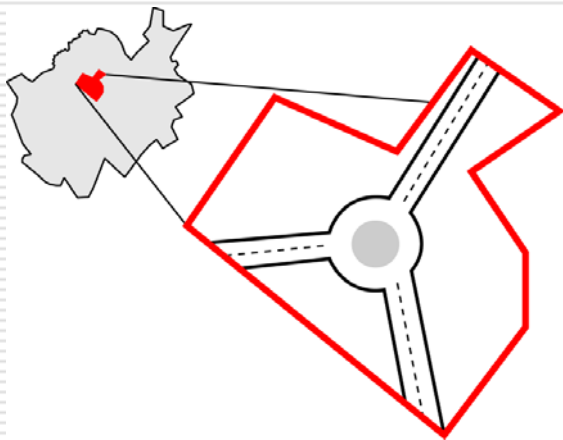
- Integrated health impact assessment in urban areas
 - air pollution
 - noise
 - accident
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A common risk-exposure chain



Where a road user is exposed to accident risk ?

Which micro-environments ?



On road segments and junctions where collisions between **road users** or with **obstacles** could occur

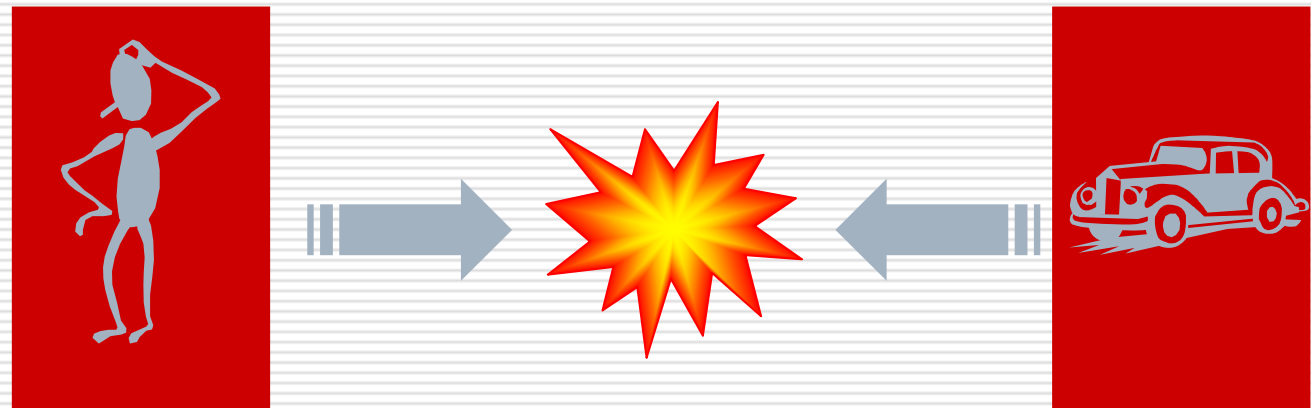
What is exposure in environmental epidemiology ?

« an event that occurs when there is a contact at the boundary between a human and the environment with a contaminant of a specific concentration for an interval of time»

Used for air pollution and noise in general and coming from road traffic

In collision

Direct (physical) contact between a road user and a structure with dissipation of mechanical energy which is the agent of the damages



In the street

Virtual contact between a road user and
an « atmosphere » generated by the
traffic

Which contaminant ?

Concentration (K)



Speed (V)

Time versus distance of exposure

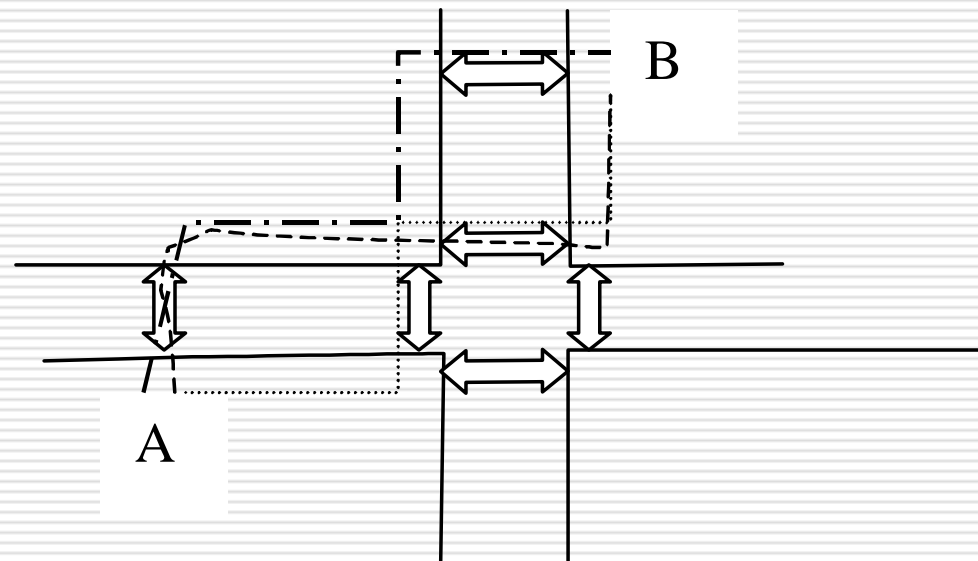
| | Kilometer driven | Time spent | |
|---------|------------------|------------|--|
| Walk | | ✗ | |
| Bicycle | ✗ | ✗ | |
| Mopped | ✗ | | |
| Moto | ✗ | | |
| Car | ✗ | | |
| Lorry | ✗ | | |
| Bus | ✗ | | |

Assessment of accident exposure for pedestrian

Some propositions

Hypothesis

- We suppose that the pedestrian is at risk only when crossing the street

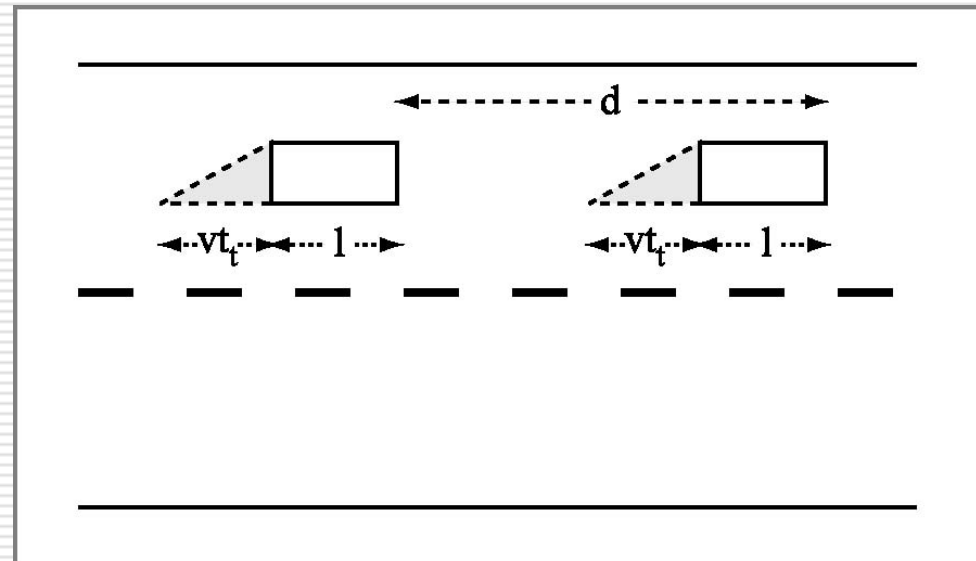


Choice of an exposure indicator

(Routledge, 1974)

$$P = \frac{l + vt_c}{d}$$

- l equal to the average length of the vehicle
- v the average speed of the flow
- d the average gap between vehicle in the flow
- t_c the average crossing time for a pedestrian



Interpretation 2

$$P = k \left(\frac{1}{k_J} + t_c v \right)$$

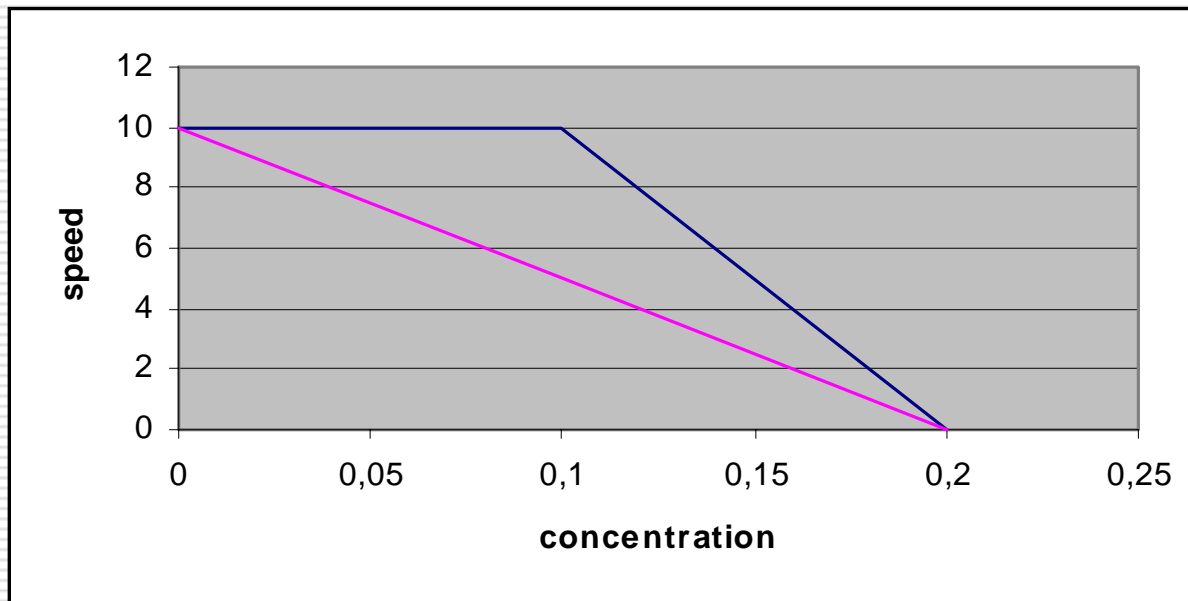
$$= \frac{k}{k_J} (1 + k_J t_c v)$$

- k the concentration of vehicle
 - v the average speed of the flow
 - k_J the jam concentration
 - t_c the average crossing time for a pedestrian
-

Speed – concentration relationship in a flow of vehicles

$$v = v_f \left(1 - \frac{k}{k_J}\right)$$

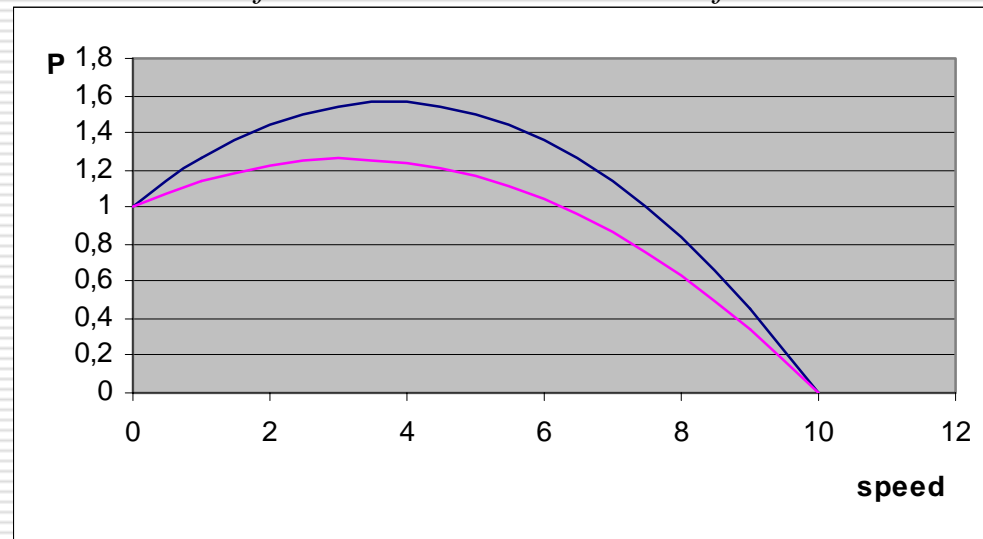
- with v_f the free speed when the flow tends to zero, k_J the jam concentration when all vehicles are blocked.



Speed function of concentration : linear and two pieces linear

Variation of P according to speed of the vehicle flow

$$P = k \left(\frac{1}{k_J} + t_c v \right)$$
$$= k_J \left(1 - \frac{v}{v_f} \right) \left(\frac{1}{k_J} + t_c v \right) = \left(1 - \frac{v}{v_f} \right) (1 + t_c k_J v)$$



Routledge indicator function of speed (m/s) with $v_f = 10$ m/s, $l = 5$ m., $t_c = 3$ s. and $2[1]$ s with a linear function speed/concentration.

[1] These correspond to the crossing of a 3 meters wide at a walking speed of 1m/s and 1,5 m/s.

Problems in using Routledge's indicator

❑ It is not a proportion !

- Truncation at 1

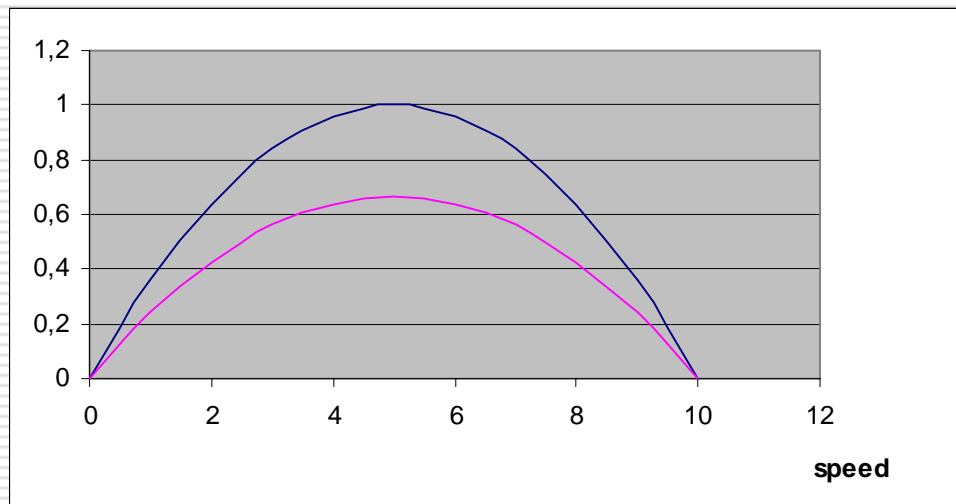
❑ Asymmetry !

- Parabola ?

Conclusion : rather a measure of accessibility

Proposition

□ Only the mobile part



$$P = \frac{k}{k_J} (k_J t_c v)$$

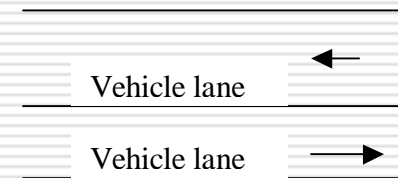
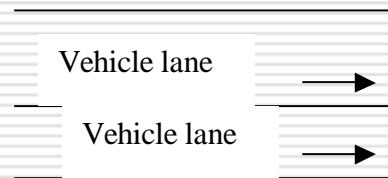
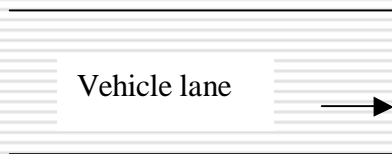
$$= k t_c v$$

$$= k_J \left(1 - \frac{v}{v_f}\right) t_c v$$

New indicator function of speed (m/s) with $v_f = 10$ m/s, $l = 5$ m., $t_c = 3$ s. and 2 s with a linear function speed/concentration.

Combination of exposures and aggregation of accident risks

□ Midblocks



$$\lambda = a_0 T f(P)$$

k one-way streets

$$\lambda = a_0 \sum_k T_k f(P_k)$$

$$T_{c1}, k_1, v_1$$

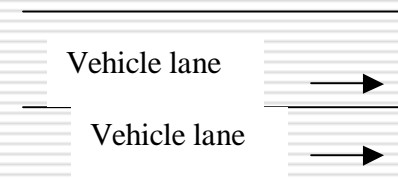
+

$$T_{c2}, k_2, v_2$$

or

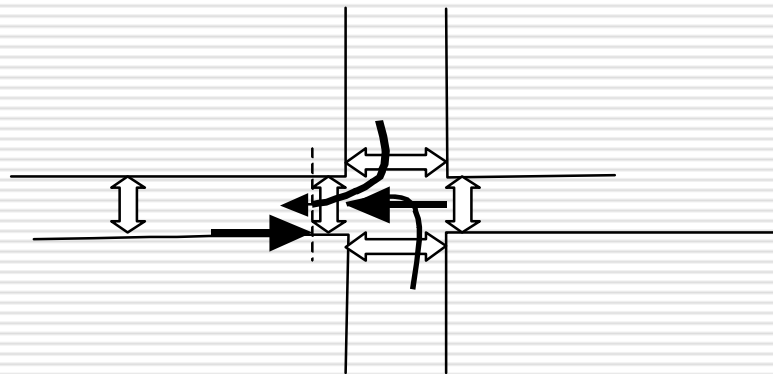
$$T_{c1} + T_{c2}, k_{1+2}, v_{1+2}$$

=



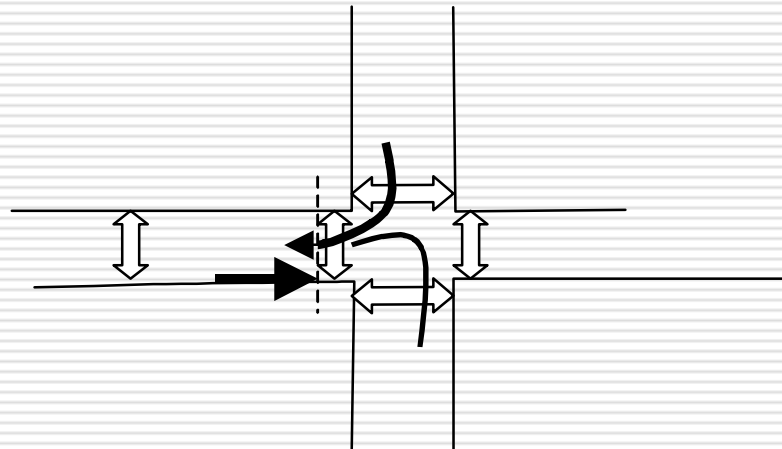
□ Junctions

Same formulas and types of microenvironments



Extensions : zebra crossings, red lights...

- ❑ Zebra crossing : lower risk + lower speed
- ❑ Islands (separated streets)
- ❑ Red lights :



Which form for f ?

- Lessons from empirical risk models (TRL)

$$E(N) = 0,180 SL QT^{0,719} PTSL^{0,435} \exp(-0,0700 \text{neway} + 0,594 \text{Zeb} + \dots)$$

$$\frac{E(N)}{365 PT} = A SL^{0,565} QT^{0,719} PT^{-0,565}$$

$$RR = \left(\frac{QT}{QT_0} \right)^{0,719} \left(\frac{PTSL_0}{PTSL} \right)^{0,565}$$

Comparison

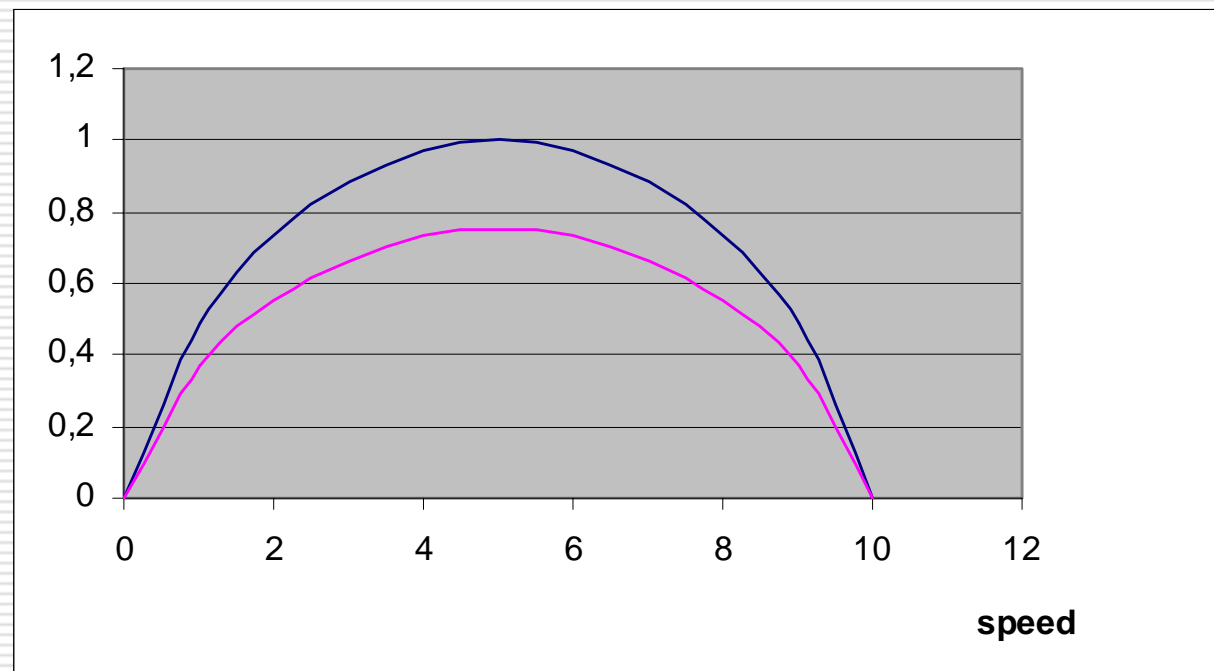
$$\frac{E(N)}{365 PT} = A SL^{0,565} QT^{0,719} PT^{-0,565}$$

$$QT = kv$$

$$\lambda = t_c f \left(\left(1 - \frac{v}{v_f}\right) (t_c k_J v) \right)$$

$$\lambda = k_J \left(1 - \frac{v}{v_f}\right)^{0,7} v^{0,7}$$

Final form



Power transformed indicator function of speed (m/s) with $v_f = 10$ m/s, $l = 5$ m., $t_c = 3$ s. and 2 s with a linear function speed/concentration.

Assessment of injury exposure for pedestrian

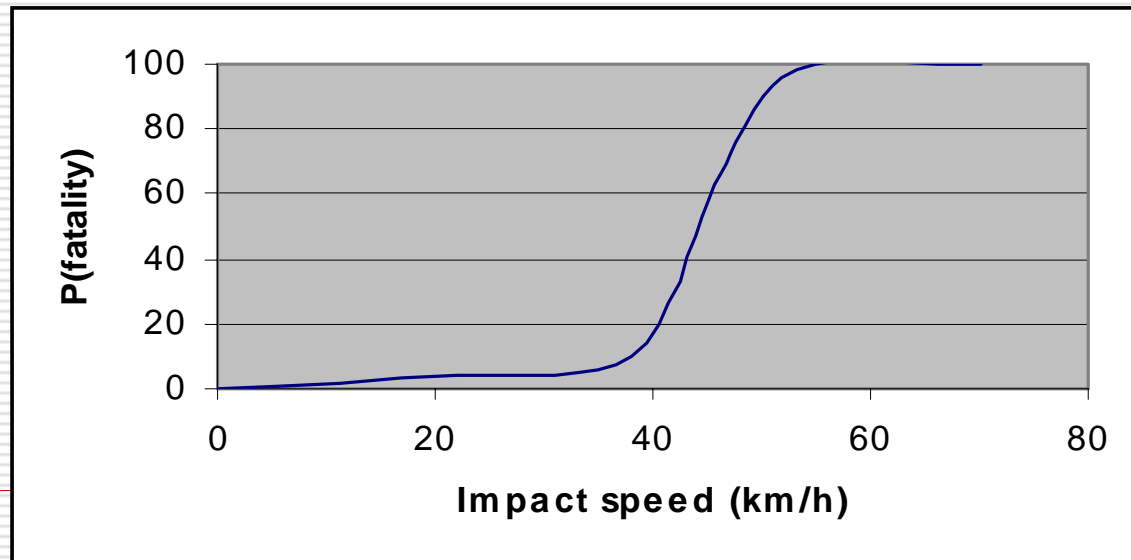
Some propositions

Dose-response modeling

- Involvement rate in injury accident

$$RR_v = \left(\frac{V_{flow}}{V_{flow0}} \right)^2$$

- Severity rate for pedestrians :



BUT

- ❑ Transfer from speed of the flow to impact speed ?
 - ❑ Lack of severity scale
 - ❑ Problem of interaction between type of junction and speed
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Assessment of accident exposure for car occupant

Some propositions

Combination of exposures and risks

□ Links (midblocks)

□ three types of accident

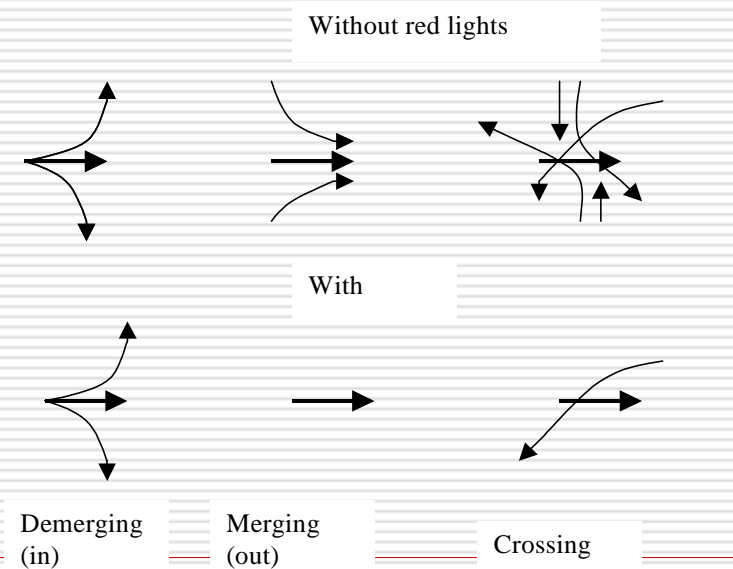
⑩ crash between two or more vehicles in the same direction,

⑩ collision on a fixed obstacle or a roll-over,

⑩ crash between two or more vehicles in the opposite direction.

□ Junctions

□ Merging and crossing conflicts with turning movements



Combination of the risks (1)

□ Links

$$\lambda = T(f_1(P_1) + f_2(P_2) + f_3(P_3))$$
$$= T(f_1(k t_r v) + \omega_2^* k_b L + f_3(k t_r v_o))$$

- T duration of the trip
 - if travelling speed of the car = v , T=L/v
 - t_r reaction time of a car driver
-

Combination of the risks (2)

□ Junctions

$$\lambda = T_c^* (f_1(k t_r v) + \sum_{i=1}^n f_i(k_i t_r v_i))$$

□ or

$$\lambda = T_c^* f(P_c)$$

$$P_c = 1 - \prod_{i=1}^n (1 - P_i)$$

$$P_i = k_i t_r v_i$$

Which form for f ?

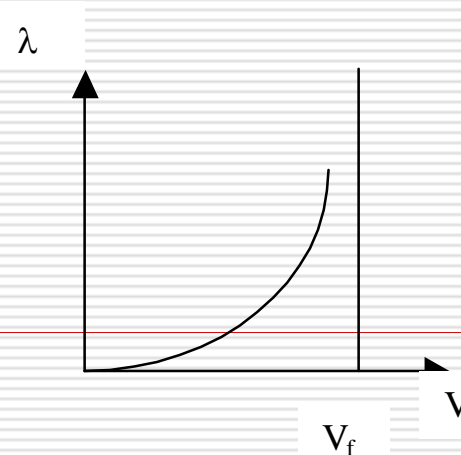
- Lessons from empirical risk models (TRL) without speed on links

$$E(N) = 0,131 SL QT^{0,82} \exp(0,653PTSL^{0,15})$$

$$\lambda/E(N_{veh}) = \frac{E(N)}{365SLQT}$$

$$f = \frac{v^{0,8}}{k_j(1 - \frac{v}{v_f})}$$

$$\lambda \approx AQT^{-0,21}$$



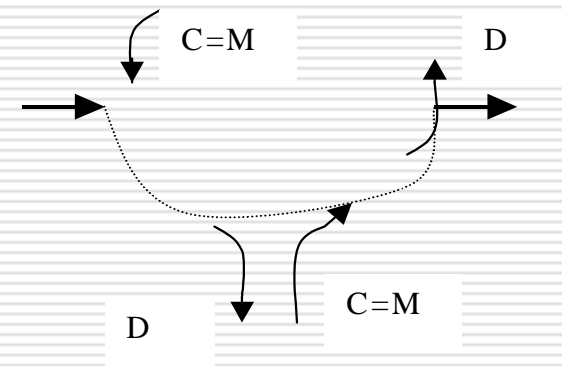
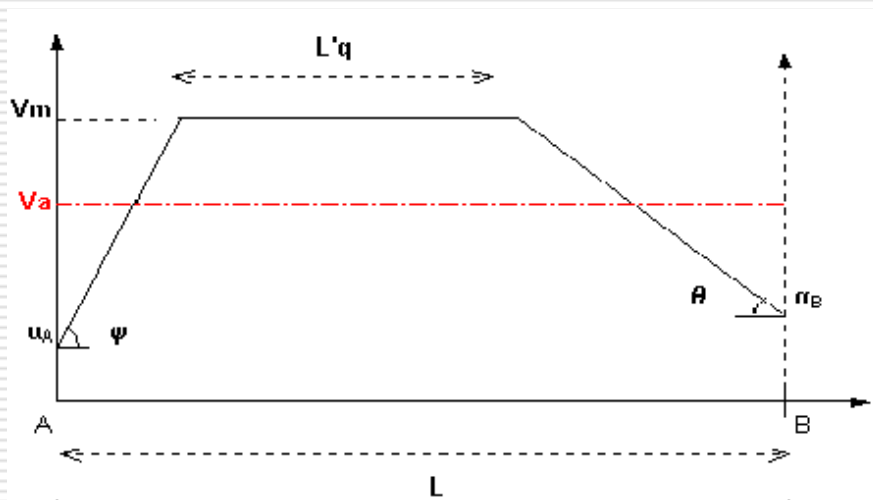
□ Lessons from empirical risk models
(TRL) with speed

$$E(N) = C V^{2,25} QT^{0,45}$$

$$\lambda/E(N_{veh}) = C \frac{V^{2,25}}{V^{0,55} \left(1 - \frac{V}{V_f}\right)^{0,45}} = C \frac{V^{1,7}}{\left(1 - \frac{V}{V_f}\right)^{0,55}}$$

Extension

- Variation of the speed along the link



- Roundabouts
-

Validation

By exposure

- for a sample of n cars or pedestrians, we register their trip continuously and monitor the quality of the micro-environments encountered

By accident

- we could compare the aggregated risks at the zones λ_i estimated from the simulation with the number of accidents or better the number of motorised vehicles involved in an injury accident n_i restrained to vehicles carrying residents of the city
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Conclusion

- ❑ Frequency not fully solved for car
 - ❑ Severity coming later
 - ❑ Implementation started into STEMS (software)
 - ❑ Data acquisition (mobility from surveys and traffic from models (main network))
 - ❑ Validation in Lille and Leicester on quarters
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